

Origin of pressure-induced anomalies in the nodal-line ferrimagnet $\text{Mn}_3\text{Si}_2\text{Te}_6$

Prof. Dr. Daniel Guterding

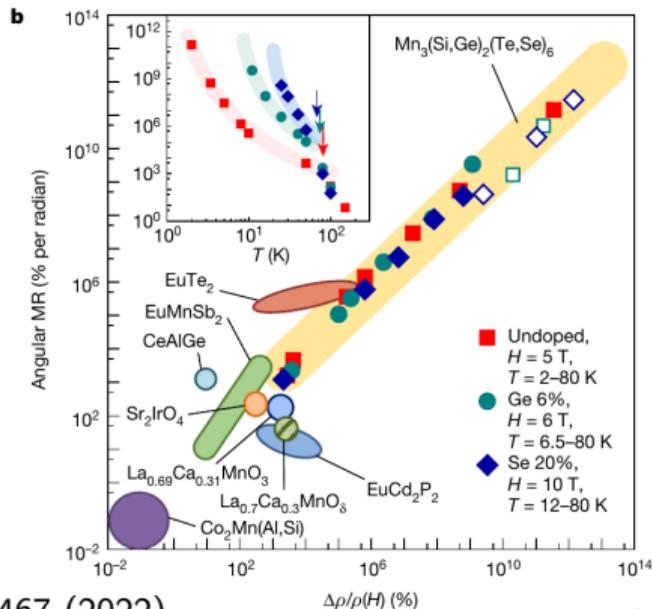
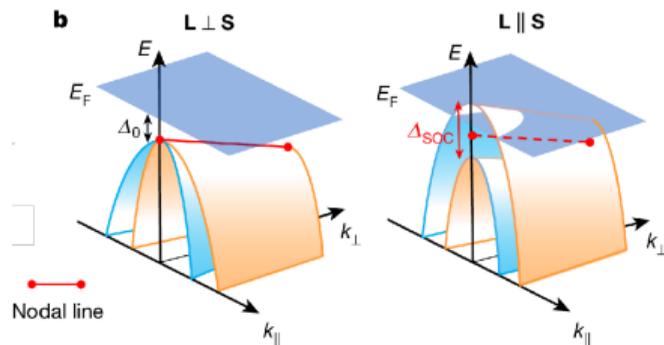
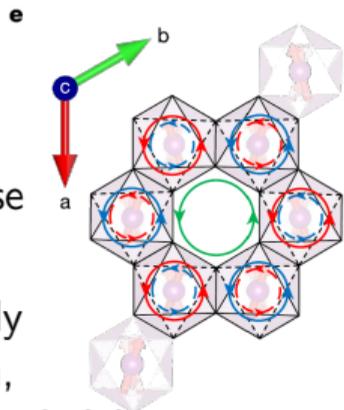
daniel.guterding@th-brandenburg.de

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Properties of $\text{Mn}_3\text{Si}_2\text{Te}_6$

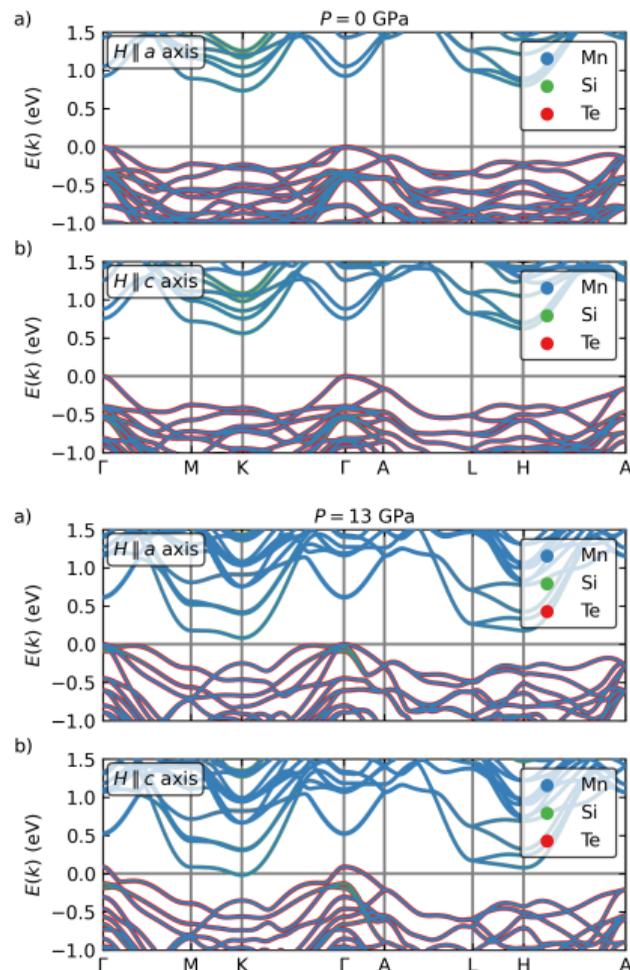
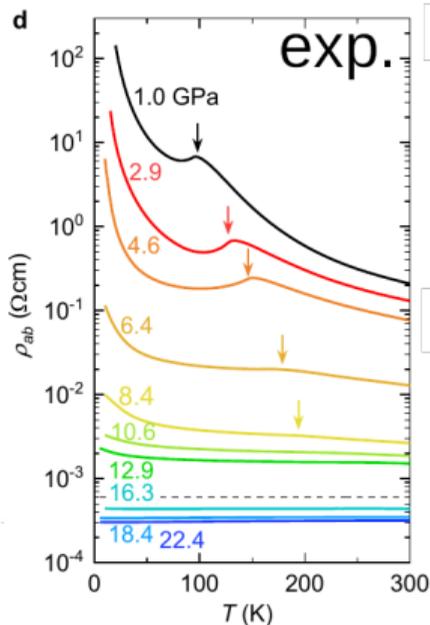
- ▶ **Ferrimagnetic semiconductor** with nodal-line degeneracy of bands close to the Fermi level
- ▶ **Colossal magnetoresistance** normally from field-induced spin polarization, which reduces spin scattering and resistivity
- ▶ $\text{Mn}_3\text{Si}_2\text{Te}_6$ is an exception, **chiral orbital currents** along edges of MnTe_6 octahedra [see Zhang *et al.*, Nature **611**, 467 (2022)]
- ▶ Nodal degeneracy is lifted depending on spin orientation, insulator to metal transition while staying in same ferrimagnet phase
- ▶ **Avoided full magnetic polarization** reduces ab plane resistivity



Figures: Seo *et al.*, Nature **599**, 476 (2021); Zhang *et al.*, Nature **611**, 467 (2022)

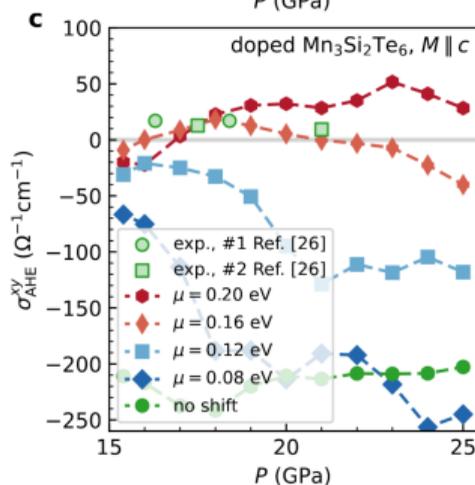
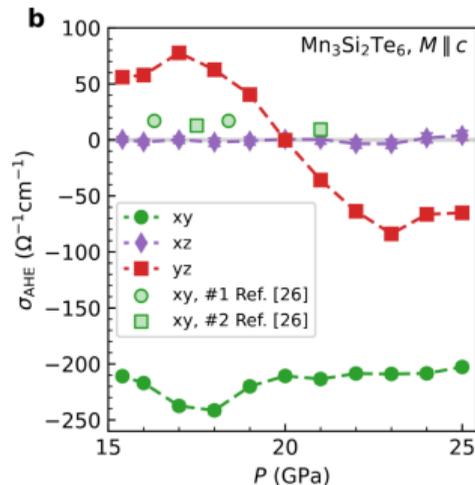
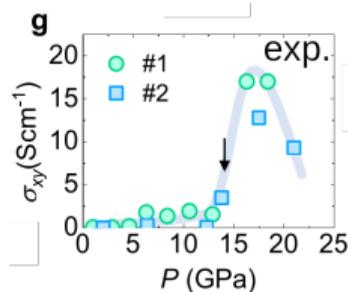
Electronic structure of $\text{Mn}_3\text{Si}_2\text{Te}_6$

- ▶ Strong reduction of resistivity as a function of pressure
- ▶ Experimental crystal structures under pressure available
- ▶ DFT calculations using FPLO in ferri state with SOC
- ▶ Pressure increases bandwidth, reduces gap
- ▶ **ab easy plane**, alignment along c leads to metallization under sufficient pressure
- ▶ $\text{Mn}_3\text{Si}_2\text{Te}_6$ becomes semimetal at phase transition from $P\bar{3}1c$ to $C2/c$, at $P_c = 15.4$ GPa



Anomalous Hall conductivity of $\text{Mn}_3\text{Si}_2\text{Te}_6$

- ▶ Insulator to metal transition at pressure of $P_c = 15.4$ GPa
- ▶ Dome-like Anomalous Hall conductivity under pressure in Susilo *et al.* [Nat. Commun. **15**, 3998 (2024)]
- ▶ AHC calculation based on FPLO Wannier functions and adaptive Monte Carlo integration
- ▶ No agreement between σ_{xy} from experiment and calculation
- ▶ AHC in $\text{Mn}_3\text{Si}_2\text{Te}_6$ is very sensitive to shifts of the Fermi level
- ▶ A shift of $\mu = 0.16$ eV produces reasonable agreement with experiment
- ▶ Electron doping is plausible, e.g. due to Te deficiency



Spin Hamiltonian of $\text{Mn}_3\text{Si}_2\text{Te}_6$: isotropic exchange from DFT

- ▶ Alternating honeycomb and triangular lattices of Mn
- ▶ Spin 5/2
- ▶ Ferrimagnetic Mn trimers
- ▶ AFM couplings in $P\bar{3}1c$ phase largely unfrustrated
- ▶ Metallic phase $C2/c$ very complex

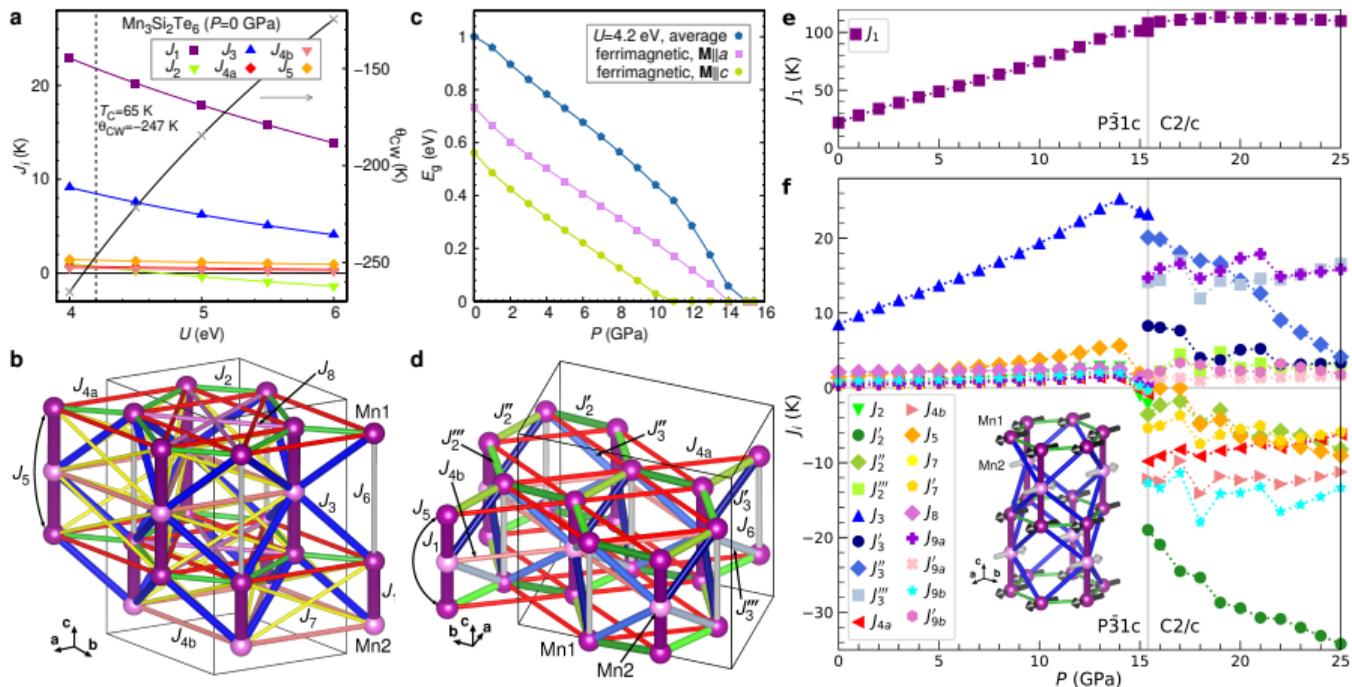
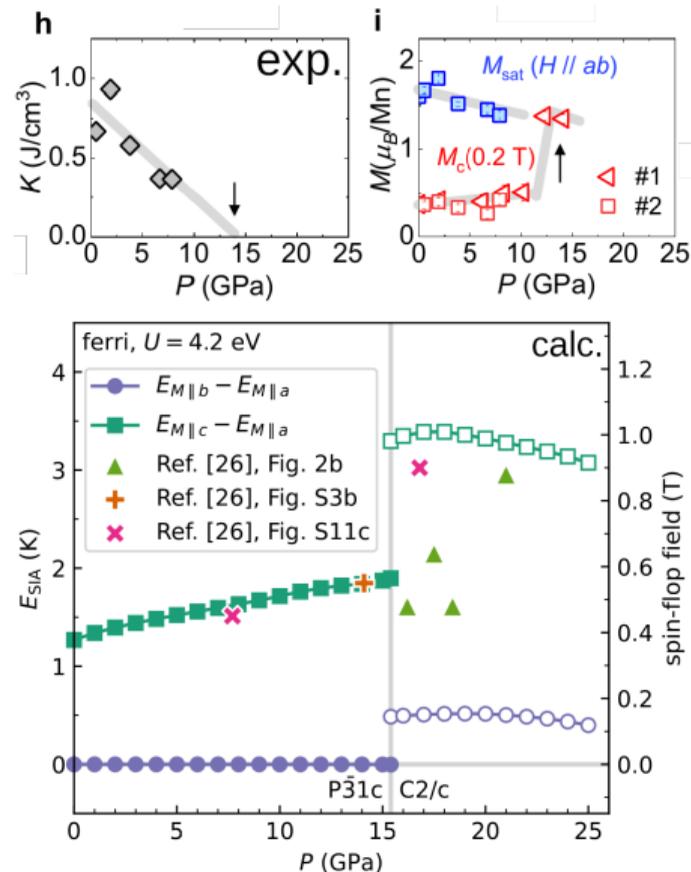


Figure: Venkatasubramanian *et al.*, arXiv:2509.18238

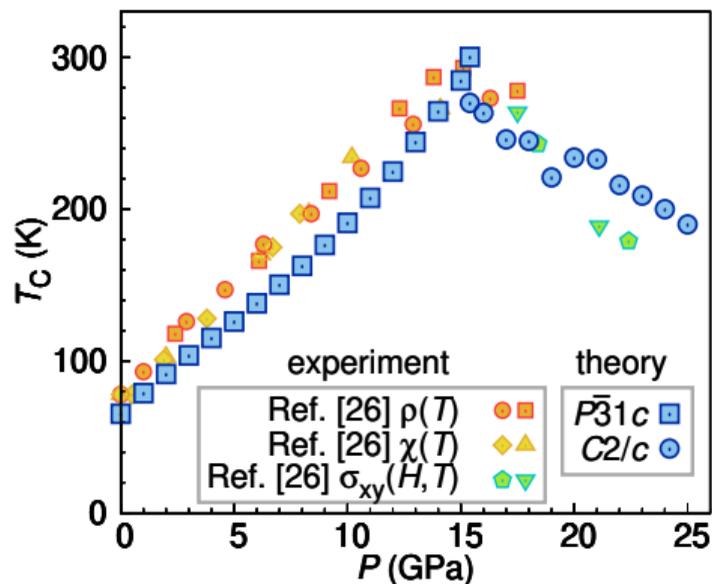
Spin Hamiltonian of $\text{Mn}_3\text{Si}_2\text{Te}_6$: single-ion anisotropy

- ▶ At structural phase transition ($P_c = 15.4$ GPa) [Susilo *et al.* \[Nat. Commun. 15, 3998 \(2024\)\]](#) claim reorientation of spins from ab plane to c axis
- ▶ Experimental data interpreted to show decreasing anisotropy energy K and jump of c axis magnetization M_c in low field
- ▶ Experimental magnetization and AHC however show saturation between 0.5 T and 0.9 T
- ▶ Unclear how this would be the case with c easy axis
- ▶ We calculate SIA energy from DFT, good agreement if we associate theoretical spin-flop field with experimental saturation field



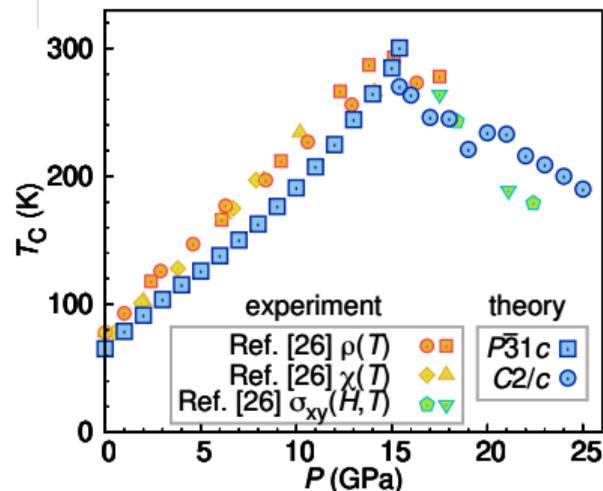
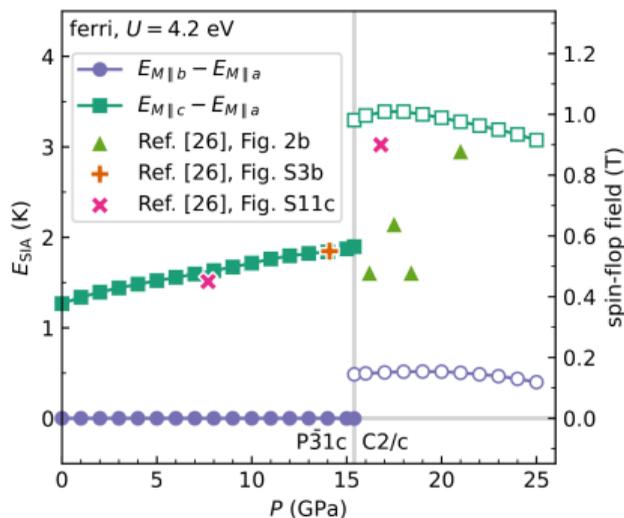
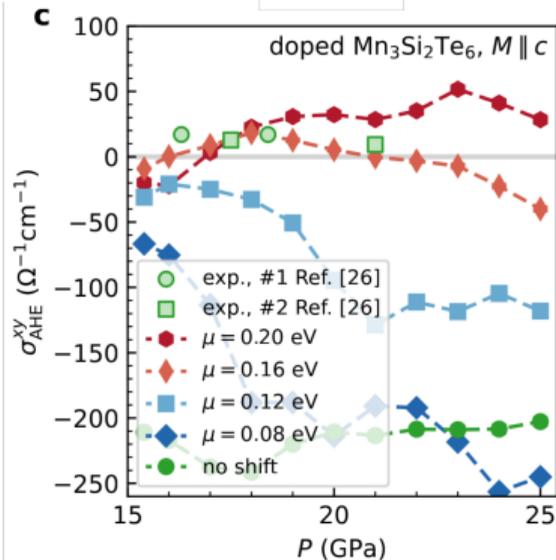
Classical Monte Carlo simulation of $\text{Mn}_3\text{Si}_2\text{Te}_6$

- ▶ Heisenberg exchange couplings derived from DFT calculations for supercells with 100 different spin configurations for each pressure
- ▶ Classical Monte Carlo simulation using Metropolis algorithm
- ▶ $8 \times 8 \times 8$ supercell, 3072 Mn sites, spin 5/2
- ▶ $\sim 10^{11}$ MC steps for each temperature
- ▶ Negligible finite size effect
- ▶ Curie temperature determined from specific heat
- ▶ Very good agreement with experimental data, also in metallic phase



Summary

- ▶ Magnetism of $\text{Mn}_3\text{Si}_2\text{Te}_6$ described well by DFT
- ▶ Classical Monte Carlo agrees well with experimental T_C
- ▶ Hamiltonian tabulated in our manuscript
- ▶ No hint of c easy axis claimed by Susilo *et al.* [Nat. Commun. **15**, 3998 (2024)]
- ▶ Anomalous Hall effect very sensitive to electron doping, e.g. Te deficiency
- ▶ **Preprint arXiv:2509.18238** (to be published in Commun. Mater.)



Appendix: Interpolation of experimental crystal structures

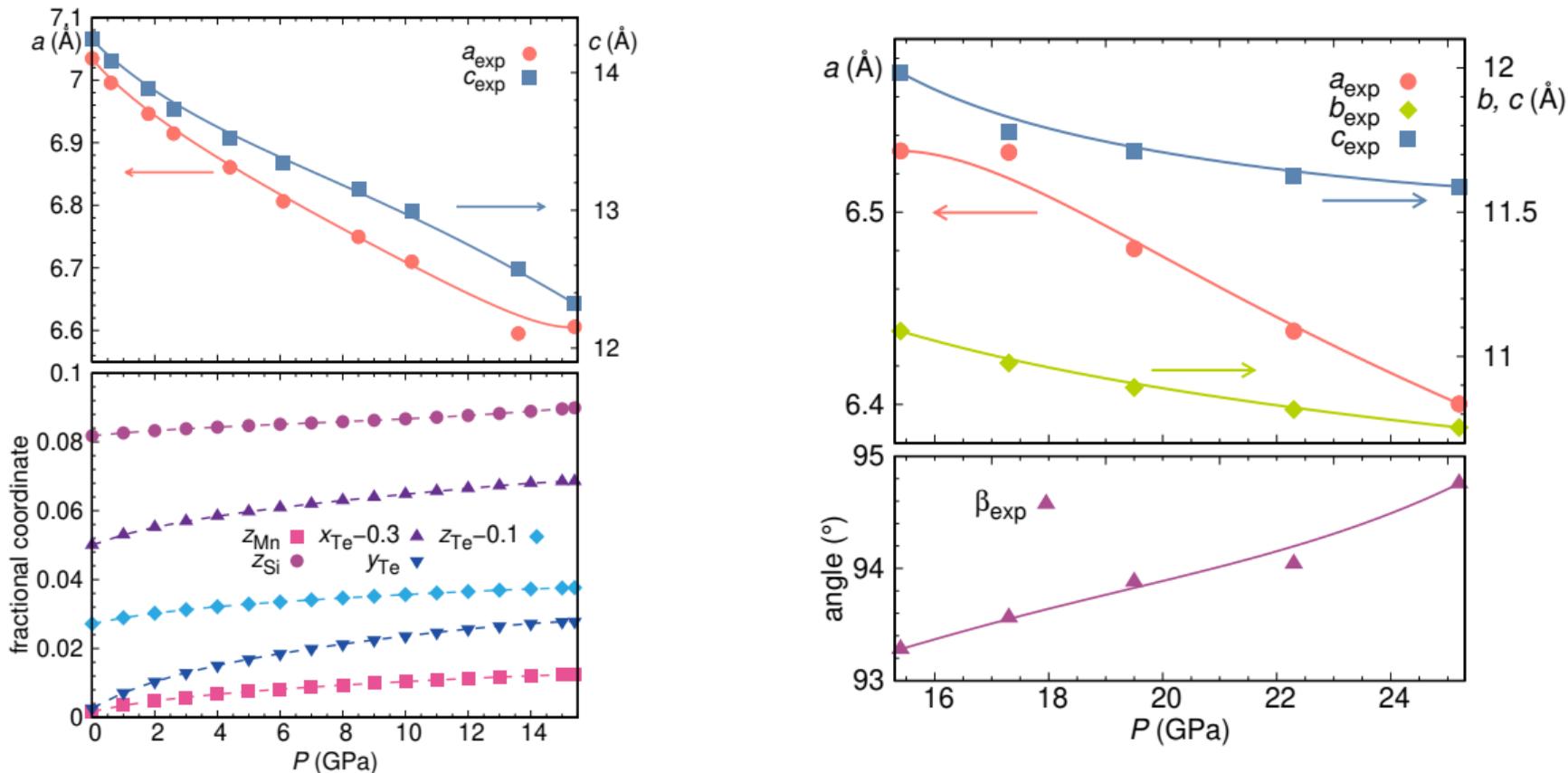


Figure: Venkatasubramanian *et al.*, arXiv:2509.18238

Appendix: Berry curvature and Anomalous Hall conductivity

- ▶ Intrinsic AHE from Berry curvature $\Omega_n(\underline{\mathbf{k}}) = \underline{\nabla} \times \underline{\mathbf{A}}_n(\underline{\mathbf{k}})$ with $\underline{\mathbf{A}}_n(\underline{\mathbf{k}}) = i \langle \mathbf{u}_{n\underline{\mathbf{k}}} | \underline{\nabla}_{\underline{\mathbf{k}}} | \mathbf{u}_{n\underline{\mathbf{k}}} \rangle$
- ▶ z-Component of Berry curvature tensor:

$$\Omega_{n,z}(\underline{\mathbf{k}}) = -2 \operatorname{Im} \left\langle \frac{\partial \mathbf{u}_{n\underline{\mathbf{k}}}}{\partial k_z} \middle| \frac{\partial \mathbf{u}_{n\underline{\mathbf{k}}}}{\partial k_z} \right\rangle$$

- ▶ Total Berry curvature $\Omega_z(\underline{\mathbf{k}})$ is defined as the sum over all bands n of the band-resolved Berry curvature $\Omega_{n,z}(\underline{\mathbf{k}})$ weighted by the respective occupation number $f_n(\underline{\mathbf{k}})$:

$$\Omega_z(\underline{\mathbf{k}}) = \sum_n f_n(\underline{\mathbf{k}}) \Omega_{n,z}(\underline{\mathbf{k}})$$

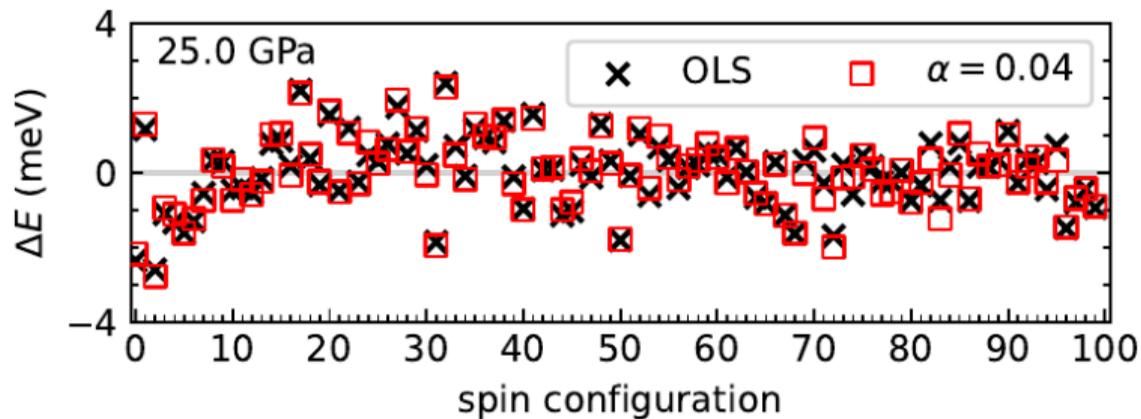
- ▶ Anomalous Hall conductivity is the integral of the total Berry curvature $\Omega_z(\underline{\mathbf{k}})$ over the entire Brillouin zone (PRB **74**, 195118 (2007)):

$$\sigma_{xy} = -\frac{e^2}{\hbar} \int_{\text{BZ}} \frac{d\underline{\mathbf{k}}}{(2\pi)^3} \Omega_z(\underline{\mathbf{k}})$$

- ▶ Total Berry curvature from FPLO Wannier interpolation
- ▶ BZ integration with adaptive Monte Carlo method

Appendix: Isotropic exchange terms from DFT energy mapping

- ▶ DFT calculations in FPLO for 100 supercell spin configurations
- ▶ Mn atoms carry spin 5/2
- ▶ Fit energy landscape with classical Heisenberg Hamiltonian with ordinary least squares
- ▶ Metallic phase requires some regularization due to large number of possible exchange paths



Appendix: Anisotropic terms in the spin Hamiltonian

- ▶ Exchange anisotropies J_1^{yy} and J_1^{zz}
- ▶ Single-ion anisotropy K^y and K^z
- ▶ ab easy plane in low-pressure phase
- ▶ a easy axis in high-pressure phase
- ▶ Non-monotonic pressure dependence from FM energies

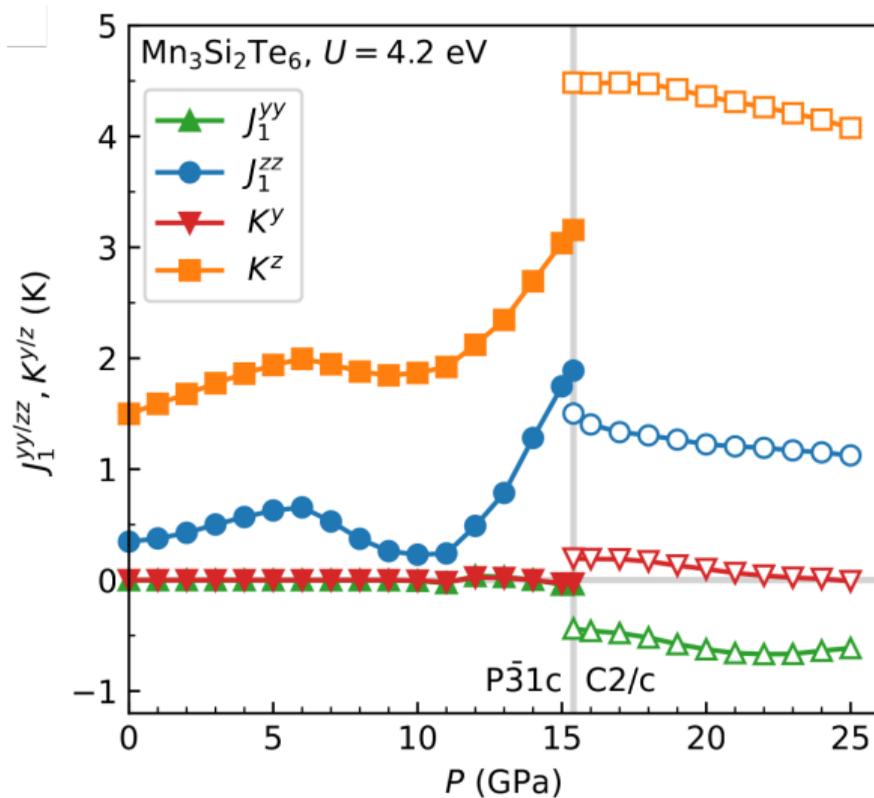
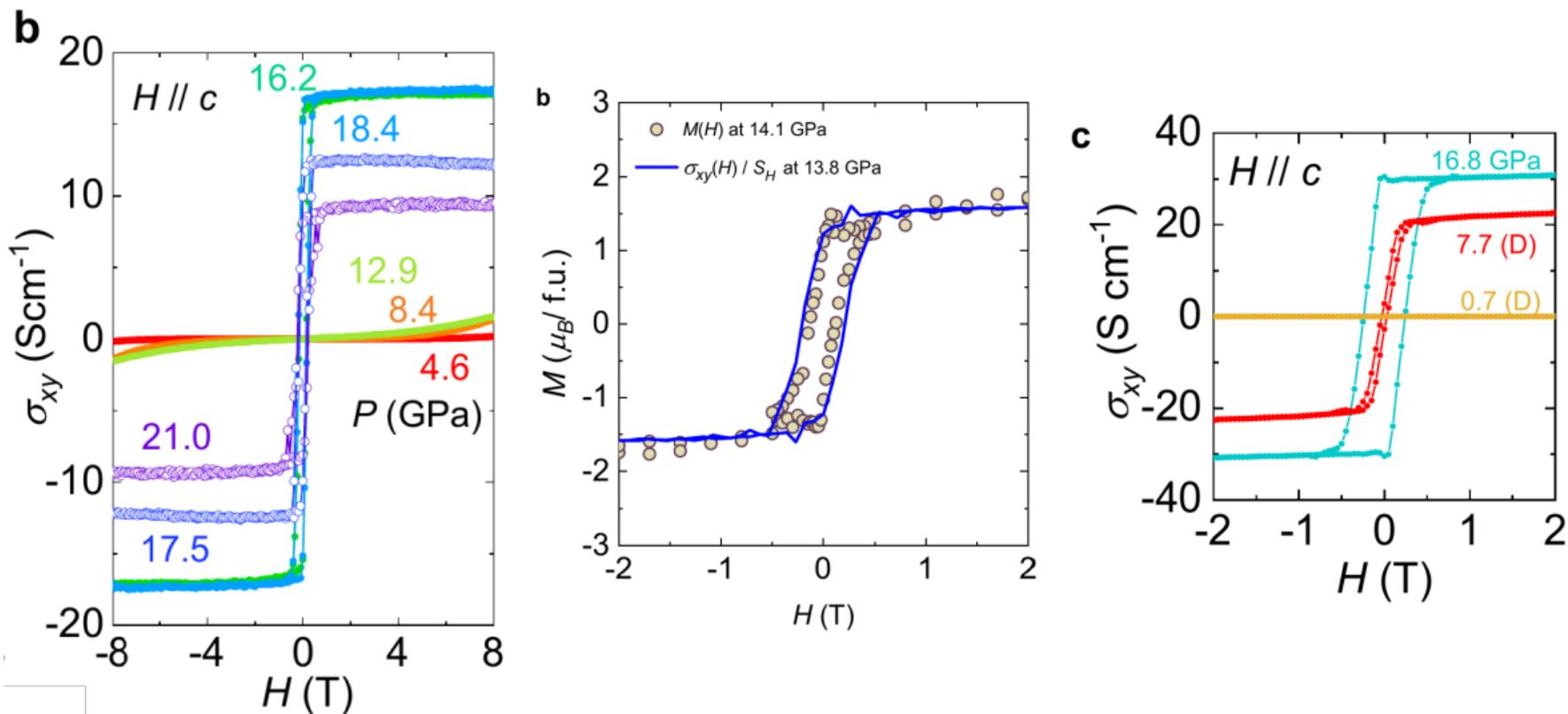


Figure: Venkatasubramanian *et al.*, arXiv:2509.18238

Appendix: Information on the anisotropy energy from Susilo *et al.*



Figures: Susilo *et al.*, Nat. Commun. **15**, 3998 (2024)